Óbuda University Bánki Donát Faculty of Mechanical and Safety Engineering											
The name and cod Credit points: 6	le of the	e course	: Mathematic	s II - Ca	alcı	ılus	II., B	MXM	2EI	HBNE	
Training: Mechani	cal eng	ineering	BSc								
Responsible:		Lecture	r:	Teache	Teachers Dr. Frigyik András, Dr. Hanka László						
Dr. Hanka László		Dr. Ha	nka László								
Prerequisites		Mathematics I - Calculus I., NMXAN1EBNE, signatur							BNE, signature		
Number of	Lectur	re: 3	Group semina	r: 3	La	.ab: 0				-	
lessons per week:			•								
Requirement:	Signat	Signature and Exam									
Topics											
Linear algebra	Aultiva	riable (-	60	ries	Dif	Forontia	م ا م	quations, Laplace-	
transform, Probab			Laiculus, The	ory or	36	1105,	, Dill	erentia	u e	quations, Laplace-	
transform, Probat	mity th	leory	0.1	1 1							
	Schedule										
Time		Chapters									
Week 1.		Linear algebra 1.									
										Homogeneous and	
		nonhomogeneous systems. Multiplication of matrices. Inverse of a matrix. Determinant of an $n \times n$ matrix. Cofactor expansion of a determinant.									
Week 2.		n×n mau r algebra		ansion o	ac	leteri	mnant	•			
W CCK 2.		~		iverse m	atri	x Cr	amer'	s rule F	liger	value and eigenvector	
		natrix.	systems using n	iverse in	aun	A. CI	unior	s ruie. L	1501	ivalue and ergenvector	
Week 3.			vo variables I.								
				rivatives	. H	igher	r order	derivat	tives	. Total derivative and	
Week 4.	applications. Error estimation. Approximation. Tangent plane. Local extrema. Functions of two variables II.										
	Double integrals over rectangular and normal domain. Calculation of volu						of volume.				
Week 5.	Number series Convergence of a number series. Basic theorems and concepts. Geometric series							~			
			es. Convergenc	e tests	IOr	posi	uve s	eries. A	Iter	nating series, Leibniz	
Week 6.		theorem. Function series I.									
WEEK 0.		Notion of a function series. Convergence. Region of Convergence. Power series. Basic									
		theorems for convergence of power series. Radius of convergence. Differentiation and									
	integration of power series.										
Week 7.	Function series II.										
							orm of	the ren	naine	der. Taylor's theorem.	
			. Error estimatio	n. Integr	atio	on.					
Week 8.	<u>Differential equations I.</u> The notion of an ODE. The notion of the general and particular so						lan aslation Dimestler				
	integrable ODE. Separable ODE. Applications in physics.							unar solution. Directly			
Week 9.	-		uations II.	с. дррп	catr		n pnys	105.			
Week St	First order linear differential equations. Homogeneous and nonhomogeneous							mogeneous equations.			
										ODE with constant	
	coeffi	icients. M	ethod of undeter	mined c	beff	ïcien	ıts.				
Week 10.	Second order linear differential equations with constant coefficients. Homog										
	nonhomogeneous equations. Characteristic equation. Method of undetermine coefficients. Exponential and trigonometric resonance.							od of undetermined			
			xponential and tr	igonome	uric	reso	mance.				
Week 11.	Midterm test.										
WCCK 11.	 <u>Laplace transform</u> The concept of Laplace-transform. Inverse Laplace-transform. Partial fract decomposition. Solving linear differential equations using Laplace. 							orm. Partial fraction			
Week 12.											
			probability. Axi								
Week 13.	Proba	ability II.	Conditional prol	oability.	The	law	of tot	al proba	bilit	y. Bayes theorem. The	
	notio	notion of a random variable. Distribution function. Characterization of a random									
	varial	ble. Exped	cted value and st	andard d	evia	ation.	•				

Week 14.	Probability III. Discrete distributions. Probability distribution. Binomial, hipergeometric,						
	Poisson distribution. Continuous distributions. Probability density function. Normal,						
	exponential, uniform distribution.						
	Retake of the Midterm.						
Reqirements	One midterm test: On 10th week, including topics from the first 7 weeks. Theory and						
	problems.						
	For midterm test you can get 50 points, 10 for theory and 40 for problems.						
	The condition for signature is at least 25 points from the test.						
	The test can be retaken if someone wants to or has to improve, or it can be taken if						
	someone missed it.						
	If someone can't attain 25 points he/she can take an exam for signature at the beginning						
	of the exam period.						
	The signature is registered in Neptune system. If you fail you get " signature is denied ".						
	If someone has a signature, he/she can take exam in exam period. Exam covers every						
	topic between weeks 8 and 14. For exam you can get 50 points, 10 for theory and 40 for						
	problems. The minimum score is 15 points. Below 15 points you fail.						
	For exam mark the sum of test points and exam points considered. The limits of exam						
	marks are as follows: 0.40% foil (1)						
	0-49%: fail (1)						
	50-62%: pass (2) 63-74%: satisfactory (3)						
	75-87%: good(4)						
	88-100%: excellent (5)						
Literature	Literature (recommended) can be found in moodle, and on the server of the Institute:						
Literature	http://siva.bgk.uni-obuda.hu/jegyzetek/Matematika/English/BSc/						
	username: mei						
	password. mei2018						
	passworu, meizoro						

Budapest, 2022. január 15.

Dr. Hanka László lecturer